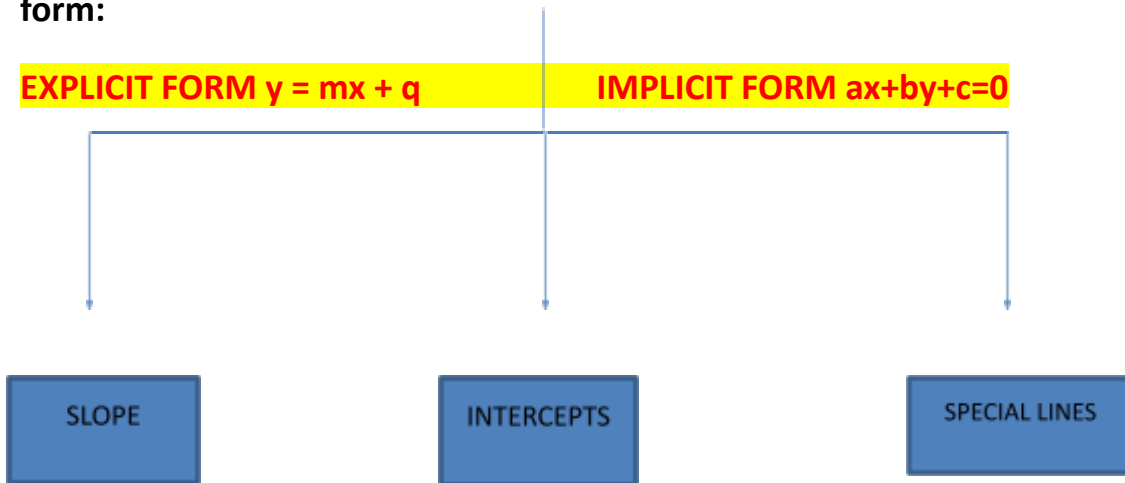


LINEAR FUNCTION

This is a function defined by a polynomial of first degree that is written in the form:

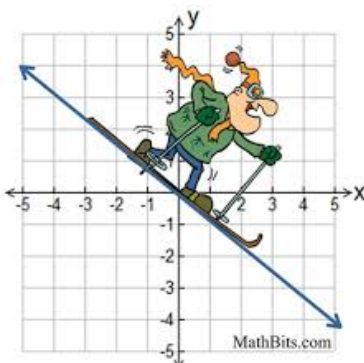


- a) **m is the SLOPE** of a line and expresses its inclination towards the x-axis.
If the line is expressed like that:

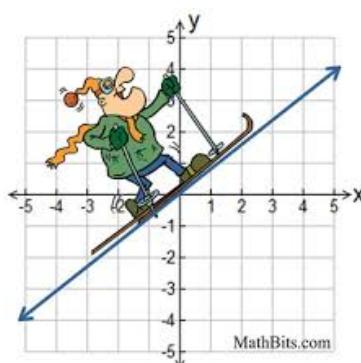
$$ax+by+c=0 \Rightarrow m=-a/b \text{ with } b \text{ different from zero.}$$

- if $m < 0$ the slope is negative and the line goes downwards from the left to the right
- if $m > 0$ the slope is positive and the line goes upwards from the left to the right
- if $m = 0$ the slope is null and the line is horizontal

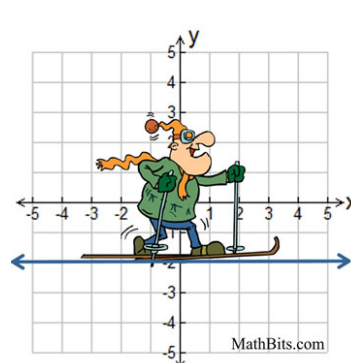
$m < 0$



$m > 0$



$m = 0$



Given the coordinates of two points on the line we can calculate the slope with by applying this formula:

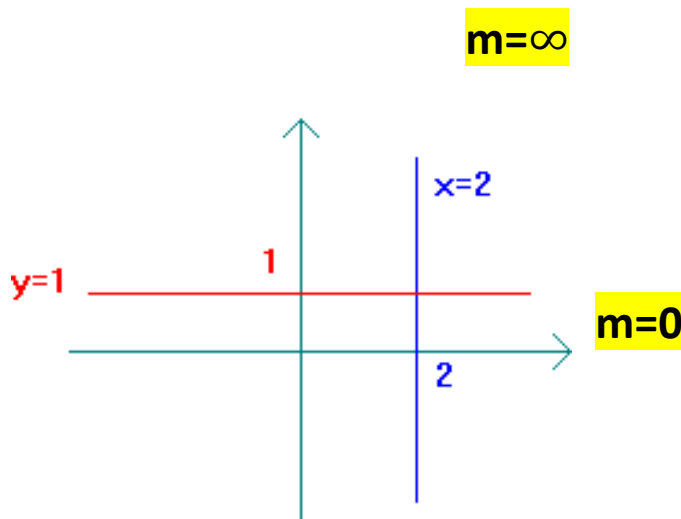
$$m = (y_q - y_p) / (x_q - x_p) \text{ with } P(x_p; y_p) \text{ and } Q(x_q; y_q) .$$

- b) **q is the INTERCEPT** of a line and expresses the measure of the segment between the origin and its intersection point with the y-axis.

If the line is expressed like that: $ax+by+c=0 \Rightarrow q=-c/b$ with b different from 0.

c) SPECIAL LINES

The two particular lines: $y=\pm k$ ($m=0$) and $x=\pm h$ ($m=\infty$) represent parallel lines to the x-axis or y-axis



The two particular lines: $y=x$ and $y=-x$ that are the bisectors of the first-third dial and the second-fourth dial of the coordinate plane.

m=-1

m=1

